

II B. Tech II Semester Supplementary Examinations, December - 2022 PROBABILITY AND STATISTICS

(Common to CSE, CST, CSE(AIML), CSE(AI), CSE(DS), CSE(AIDS), CSE(CS), CSE(IOTCSIBCT), CSE(CSBS), CSE(IOT), AIDS, CS, & AIML)

Time: 3 hours

Max. Marks: 70

Answer any **FIVE** Questions each Question from each unit All Questions carry **Equal** Marks

UNIT--I

	,	Calculate the Marks	0-10	10-20	20-30	30	-40	40-50	50-60	[7M]
		No of	12	18	27	20		17	6	
		students								
	b)	Calculate the	e standard o	deviation of	the followi	ng dat	ta			[7M]
		C.I	2.5-7.5	7.5-12.5	12.5-	17.5	17.5-2	22.5		
		frequency	12	28	65		121			
					Or					
2	a)	Write a shor	t note on p	rimary and se	condary dat	a in sta	atistic wi	th example	s.	[7M]

b) A frequency distribution gave the following results (i) coefficient of variation is 5 [7M] (ii) Pearson coefficient of Skewness is 0.5 and $S.D(\sigma) = 2$ then find mean and mode of the distribution.

UNIT--II

					· ·							
3	a)	Fit the cur	rve y = ab	^x for the f	ollowing of	data						[7M]
		X	1	2	3	4	ł					
		у	4	11	35	1	.00					
	b)	Calculate	the Rank	correlatio	on from the	e followii	ng data.	-				[7M]
		Х	4	3	8	4	8	8	10			
		у	6	4	6	4	1	2	2			
						Or						
4	a)	a) Fit the curve $y = ax + b$ for the following data										[7M]
		Х	1	2	3	4		5				
		у	4	3	6	7	1	11				
	b)	The equat	ions of tw	o regress	ion lines a	are $7x - 2$	16y + 9	= 0, 5y	<i>v</i> – 4	<i>x</i> –	3 = 0, find	[7M]
		the coeffic	cient of co	orrelation	and the m	eans of x	and y.					
					U	NITIII						
5	a)	For the co	ntinuous	random v	ariable f(r) = 6r((1 - r)	0 < r	< 1			[7M]
U	<i>u</i>)	(i)		hat $f(x)$ is		<i>x</i>) 0 <i>x</i> ((1					[,]
		(i) (ii)		• •	that $P(x)$	(< b) =	P(x > b))				
	b)	Six coins					•		l the 1	proł	ability of	[7M]
	,	getting for			•			,	1		J	[···-]
		0										

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Or



[7M]

6 a) A speaks truth 4 out of 5 times .A die is tossed .He report that there is a six. What is [7M] the chance that actually there were six?

b)	Fit the Poisson distribution for the following data									
	X	0	1	2	3	4	5			
	f	147	147	74	25	6	1			
	UNITIV									

- 7 Samples of size 2 are taken from the population Let $S = \{1,5,6,8\}$, without replacement [14M] find the following :
 - i. The mean of the population
 - ii. The standard deviation of the population
 - iii. Mean of the sampling distribution of means
 - iv The standard deviation of the sampling distribution of means

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- 8 a) A random sample of 40 taken from infinite population having mean 513 and S.D of [7M] 31.5. What is the probability that \bar{x} will be between 510 and 520.
 - b) A random sample of 100 is taken from a population with mean 21.6 and S.D 5.1. [7M] Construct 95% confidence interval for the population mean.

UNIT--V

- 9 a) A random sample of 160 workers exposed to certain amount radiation, 24 [7M] experienced ill effect .Test the claim that the proportion p =0.2 at 5% level of significance.
 - b) A die is thrown 100 times with the following results. Test whether the die is biased [7M] at 5% level.

No on the	1	2	3	4	5	6			
die									
Frequency	10	12	24	16	20	18			
Or									

- 10 a) In a sample of 600 students 400 students' use ball pens in another sample of 900 [7M] students 450 are used ball pens. Test whether two samples are significantly differ with respect to use ball pens at 10% level.
 - b) Find the maximum difference that we can expect with probability 0.95 between the [7M] means of sample sizes 10 and 12 from normal population if their standard deviations are found to be 2 and 3 respectively.

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